2705/301 2709/301 2707/301 2710/301 MATHEMATICS III AND SURVEYING III June/July 2021 Time: 3 hours



THE KENYA NATIONAL EXAMINATIONS COUNCIL

DIPLOMA IN BUILDING CONSTRUCTION DIPLOMA IN CIVIL ENGINEERING DIPLOMA IN ARCHITECTURE

MODULE III

MATHEMATICS III AND SURVEYING III

3 hours

INSTRUCTIONS TO CANDIDATES

You should have the following for this examination:

Answer booklet:

Drawing instruments;

Mathematical table/Scientific calculator.

This paper consists of EIGHT questions in TWO sections A and B.

Answer FIVE questions choosing at least TWO questions from each section and one other question from either sections.

All questions carry equal marks.

Candidates should answer the questions in English.

This paper consists of 7 printed pages.

Candidates should check the question paper to ascertain that all the pages are printed as indicated and that no questions are missing.

SECTION A: MATHEMATICS III

Answer at least TWO questions from this section.

(a)

2(2×K+7) - 4×3+1(K×K+7)
2(2×K+7) - 4×3+1(K×K+7)
(9 mill)
4K+23-24+K2+7+6=8
(2+70K+6=8)
(7+10K-24)

Determine the possible value of k.

Given the matrix (b)

$$\mathbf{M} = \begin{vmatrix} 3 & 2 & 1 \\ 1 & -2 & -1 \\ 1 & 0 & 3 \end{vmatrix},$$

determine the inverse and hence solve the following simultaneous equations:

$$3x + 2y + z = 7$$
$$x - 2y - z = 1$$
$$x + 3z = 11$$

(11 marks)

- A hardware shop sells a particular type of lock. The daily sales of this lock follows 2. (a) a poisson distribution with mean 3. Determine the probability that on a particular day the shop sells:
 - exactly 3 locks; (i)
 - at least 4 locks. (ii)

(7 marks)

The continuous random variable x has probability density given by: (b)

$$f(x) = \begin{cases} Kx, & O \le x \le a \\ 0, & otherwise \end{cases}$$

Where a and k are positive constants.

Determine the variance.

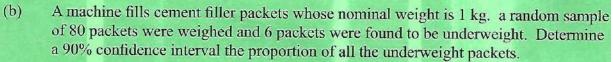
(9 marks)

- The weight of decorating marbles is normally distributed with a mean of 12.5 gm and (c) variance of 8 gm. Determine the probability that one such marble will weigh less than (4 marks) 7.6 gm.
- The acidity X measured in PH of limestone collected from different areas is assumed 3. (a) to be normally distributed. The PH of 50 random samples produced the following results:

$$\Sigma x = 354, \Sigma x^2 = 2510$$

Test at 10% level of significance, whether the mean PH is 7.12.

(8 marks)



(7 marks)

$$\Sigma x = 183$$
 $Ex^2 = 4301$ $\Sigma xy = 7724$ $\Sigma y = 336$ $Ey^2 = 14140$ $n = 8$

(5 marks)

Use Newton's backward difference formulae to estimate value of f(1.45) from X= 201-12 the data in Table 1.

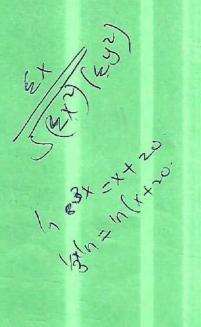
Table 3: Data

K-12=8

x.	1	1.1	1.2	1.3	1.4	1.5
f(x)	2	2.1	2.3	2.7	3.5	4.5

(10 marks)

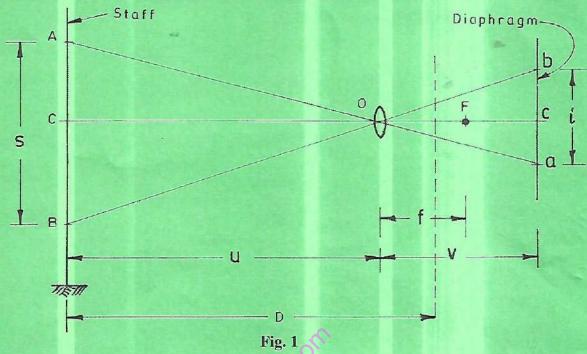
- (b) Given the equation $e^{3x} = x + 20$, show that:
 - (i) the equation has a root between 1 and 2;
 - $x = \frac{1}{3} In(X_n + 20);$ (ii)
 - Determine the root of the equation correct to 4 decimal places starting (iii) with first approximation as $x_0 = 1.5$. (10 marks)



SECTION B: SURVEYING III

Answer at least TWO questions from this section.

5. (a) Figure 1 shows the optical principle of measuring horizontal distance (D) in stadia tacheometry. Derive the formula for determining the horizontal distance. (6 marks)



- (b) **Table 2** shows tacheometric observations taken from station P and Q to a staff station R. The tacheometer was fitted with an anallactic lens, determine:
 - (i) horizontal distance PR and RQ;
 - (ii) reduced level of point R and Q.

Table 2

Instrument Station	Height of Instrument	Staff Station	Vertical angle	Stad	lia rea	ding	R.C of Station
Р	1.65	R	+3°15'	2.43	1.69	0.89	2506.025
Q	1.65	R	-5°20'	2.53	1.60	0.45	

(14 marks)

6. (a) The reduced ground level and formation level of an embarkment at 0 m, 30 m and 60 m chainages are shown in **table 3**.

Table 3	1	V	3
Chainages (m)	0	30	60
Reduced ground level (m)	35.10	36.20	35.80
Formation level (m)	38.20	38.40	38.60

Given that the formation widths of the top of the embarkment is 6.0 m, traverse slope in horizontal and the embarkment sides slope at 1 in 2. Calculate the:

- (i) Width of embarkment;
- (ii) Volume using trapezoidal and prismoidal rule.

(12 marks)

(b) State three uses of mass haul diagram.

(3 marks)

(c) Outline the procedure of using a planimeter.

(5 marks)

7. (a) In preparing the fixing of sight rails, the following consecutive staff readings were taken from one setting of level.

Staff readings(m)
0.83
1.80
3.24
1.30
1.08

If the server is to rise at 1 in 300 and the distance AB = 105 m and BC = 153 m

- (i) Invert level at B and C:
- (ii) height of sight rail at A, B and C with use of 3.05 m boning rod.

(14 marks)

- (b) Explain the following terms as applied in setting out:
 - (i) survey grid;
 - (ii) site grid;
 - (iii) structural grid.

(6 marks)

- 8. (a) Define "photogrammetry: (2 marks)
 - (b) Describe the following methods of making mosaic using:
 - (i) paper prints;
 - (ii) negatives;
 - (iii) digital imagery.

(9 marks)

(c) State four uses which necessitate overlaps in aerial photographs.

(4 marks)

(d) A photograph of a building was taken from aerial view and the following information was obtained:

Height of camera = 1200m measurement in photo from top of building = 88.40 mm measurement in photo from bottom of building = 90.50 m.

Calculate the height of the building.

(5 marks)

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